

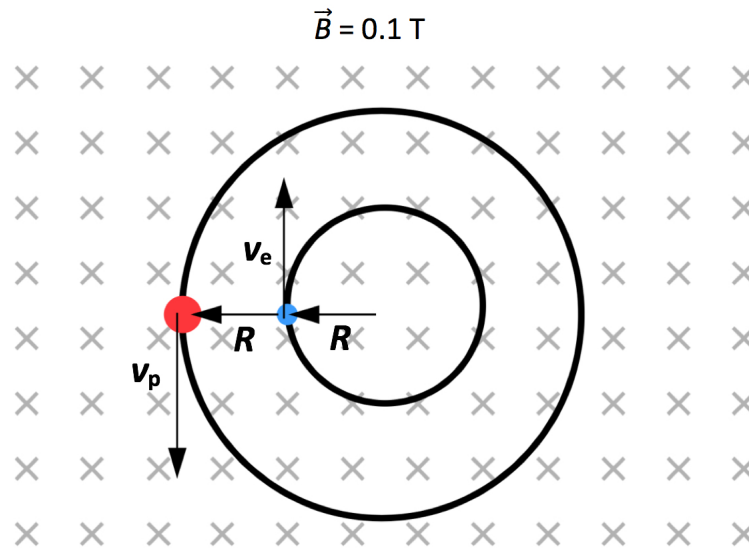
# Problem Set No. 1

UBC Metro Vancouver Physics Circle 2018

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## Problem 1

An electron is moving in a circular path under the influence of an external magnetic field,  $\vec{B} = 0.1 \text{ T}$ , maintaining a radius of  $R$ . Just outside this electron is a proton, that is also moving in a circular path under the influence of the same external magnetic field, always maintaining a radial distance of  $R$  from the electron's orbit.



In this moment of time as the particles align, what is the minimum value of  $R$  such that the electron can have a stable circular motion?

## Problem 2

A physicist is standing at the edge of a cliff, facing the ocean. He throws a large rock with velocity  $\mathbf{v}_0$ , aimed at an angle  $\theta$  above the horizontal. The rock travels in a projectile motion, displacing a vertical height of  $h$  when it hits the water. For this problem, let's assume air resistance is negligible. Upon hitting the water, the rock makes a *splash* sound. If the expression for the total time it takes for the physicist to hear the sound is equivalent to

$$t_{\text{total}} = k_1 \left( \beta + \sqrt{\beta^2 + 2\gamma} \right) + k_2 \left( \sqrt{2\alpha^2 \left( \beta^2 + \beta\sqrt{\beta^2 + 2\gamma} + \gamma \right) + \gamma^2} \right)$$

what are  $\alpha(v_0, \theta)$ ,  $\beta(v_0, \theta)$ , and  $\gamma(h)$ ? What are the values of the constants  $k_1$  and  $k_2$ ? Assume, in this perfect universe, there is no drop in sound intensity.

### Problem 3

A positively charged particle of mass  $m$  is shot horizontally into an apparatus with speed  $v$ . The apparatus is made up of uniform and adjacent electric and magnetic fields,  $\vec{E}$  and  $\vec{B}$ , respectively. Since the particle has a positive charge of  $q$ , its path will deviate before it hits the detection screen at the very end. If

- (1) the particle is initially aimed perfectly at the origin of the detection screen,
- (2) the parallel plates each have a length  $l_E$  and width  $\gg l_E$ ,
- (3) the electric and magnetic fields are separated by distance  $d_1$ ,
- (4) the magnets each have a length of  $l_B$  and width  $\gg l_B$ , and
- (5) the magnetic field and detection screen are separated by distance  $d_2$ ,

determine the exact (theoretical)  $x$  and  $y$  coordinates where this particle will hit the detection screen based on the parameters mentioned above. The figure below depicts the situation described.

